

# ECE- 314

# SIGNALS AND SYSTEMS

## Summer 2013

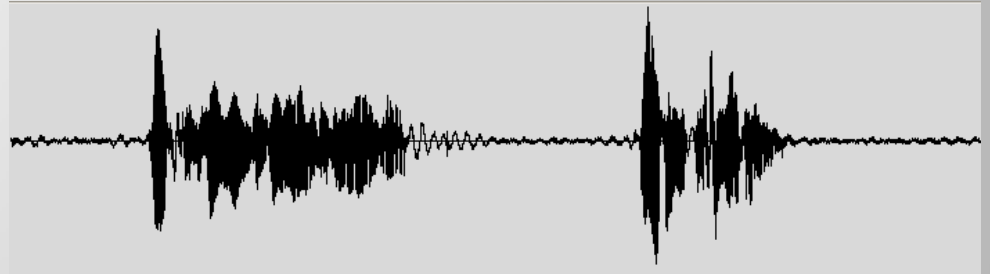
### INTRODUCTION

- ✓ What is a signal? What is a system?
- ✓ Overview of signals
- ✓ Classification of Signals: Continuous-Time, Discrete-Time. Periodic, non-periodic
- ✓ Basic operations on signals

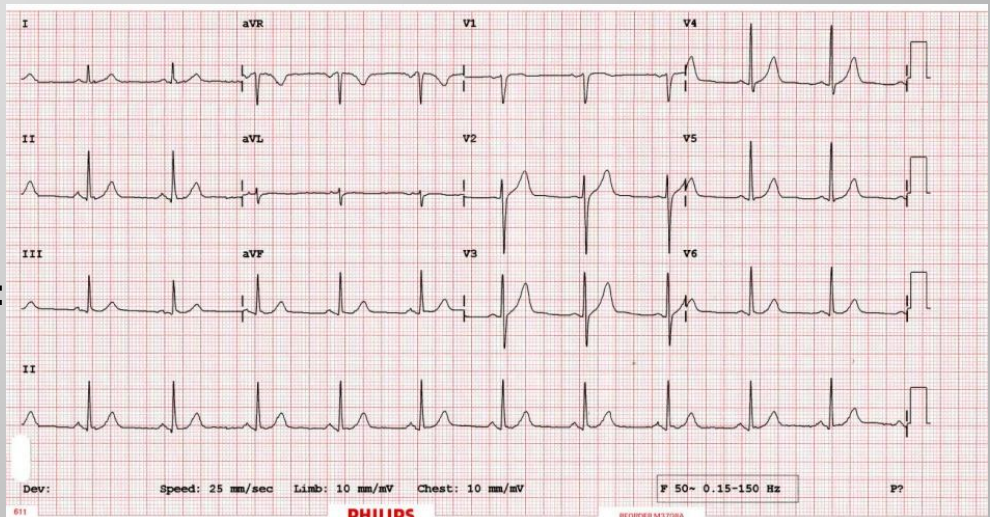
# SIGNALS AND SYSTEMS

- **Signal:** Function of one or more independent variables that typically contains information about the behavior or nature of some phenomenon.
- Examples:
  - 1-dimensional continuous-time signals.

**Speech:**

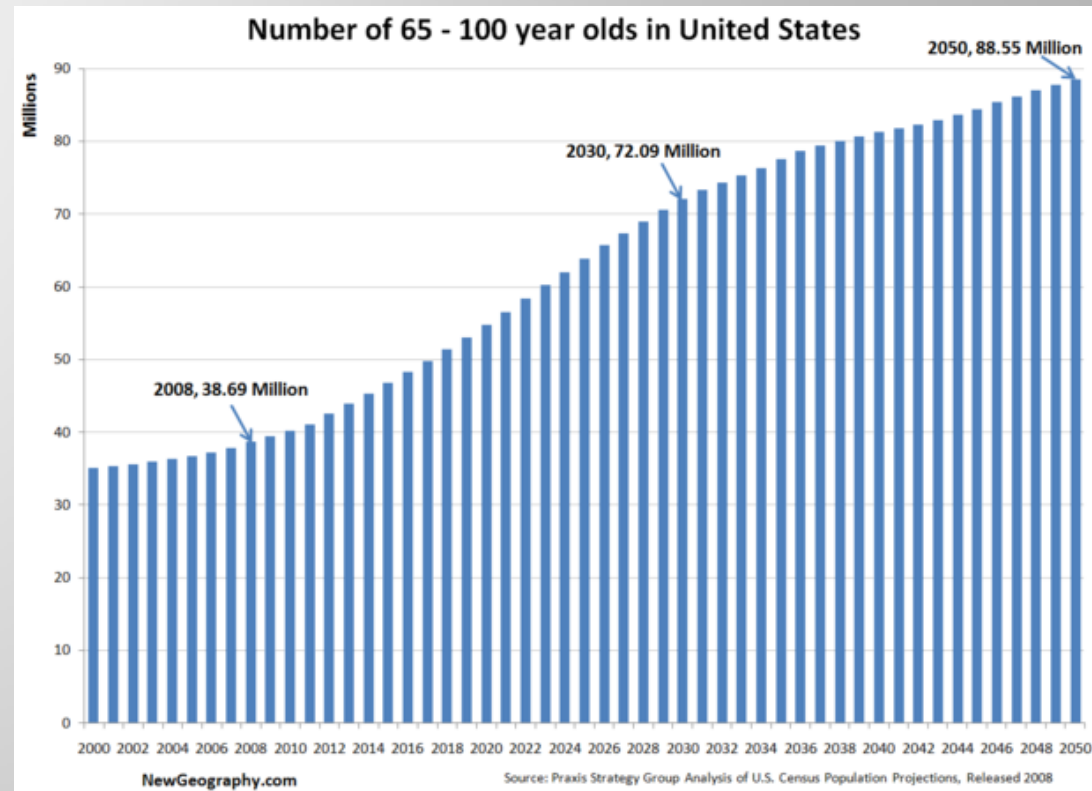


**Electrocardiogram:  
(ECG)**



# SIGNALS AND SYSTEMS

- Example:
  - 1-dimensional discrete-time signal: signal values only exist at discrete times.
- Other discrete-time signals: Dow-Jones stock market index, population growth (tabulated per year).
- 1-D signals: We will refer to the independent variable as 'time' (although this is not always the case).



# SIGNALS AND SYSTEMS

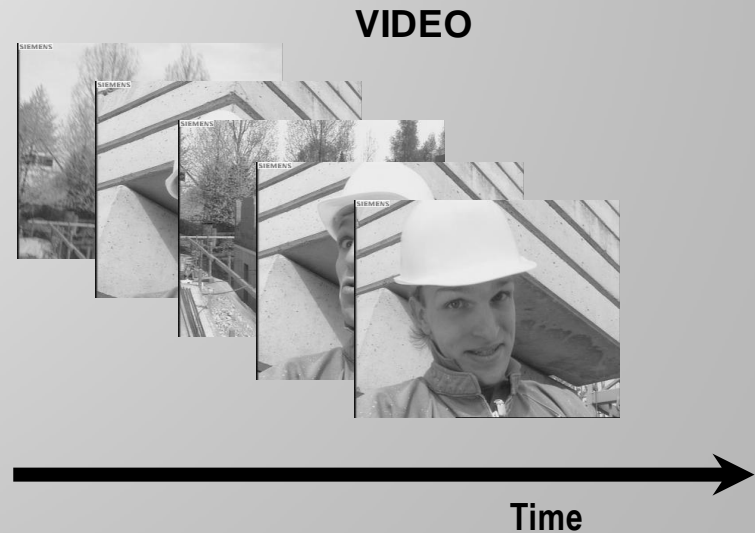
- Examples: 2-d and 3-d signals.

Image (2-D): Independent variables: Spatial positions (x,y)

Video (3-D): Besides (x,y), we have time (t).



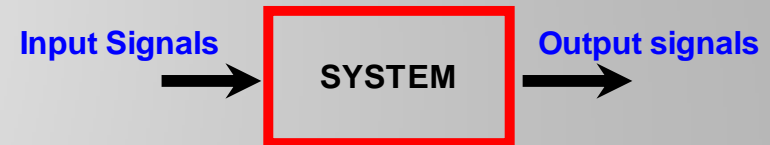
2-D signal



3-D signal

# SIGNALS AND SYSTEMS

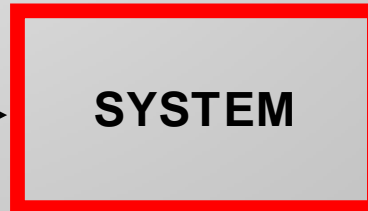
- **System:** Entity that manipulates one or more signals to produce new signals.
- Example: System that process digital signal, image, and video.



Digital  
signal/image/video



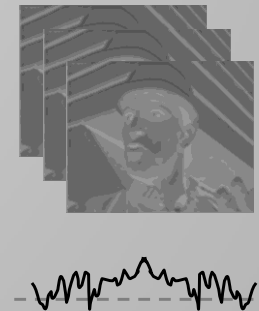
Input  
Signal



Output  
Signal



Digital  
signal/image/video



# SIGNALS AND SYSTEMS

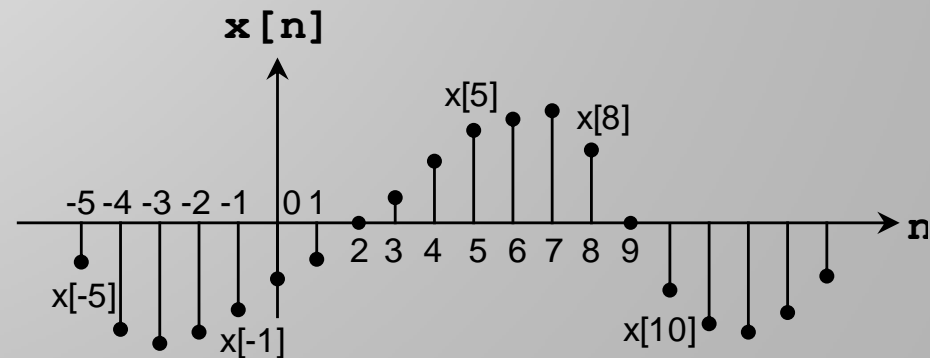
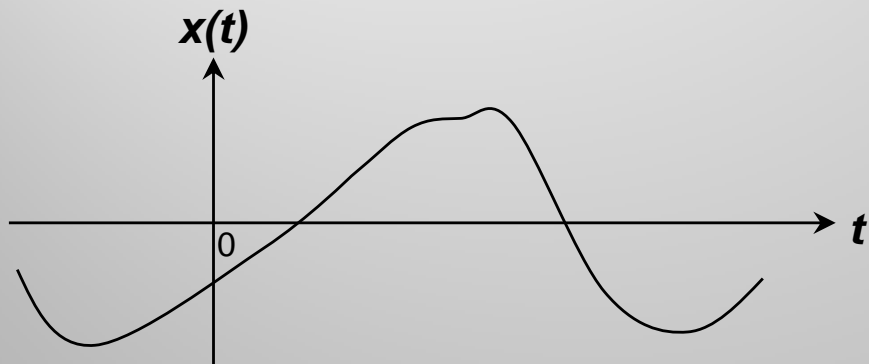
- Other examples of systems:
  - Automatic speech recognition: A computer reads a speech signals and identifies words.
  - Face recognition: A computer reads an image and identifies the subject.
  - Digital Video compression: A system reads a digital video and generates a digital file that is a portion of the size of the original video, which can then be easily transmitted (e.g., MPEG, H.264 video files)
  - Adaptive noise cancellation: The system filters undesired signals while keeping the signal of interest (e.g.: acoustic noise cancellation headphones)

# SIGNALS AND SYSTEMS

- Throughout the class we will focus our attention on **one-dimensional signals** defined as single-valued functions of time (for every instant of time, there is a unique value of the function). Note that:
  - The value of the function can be a real number or a complex number.
  - The independent variable (known as ‘time’) is always real-valued.
- We will now explore two manners by which we can classify signals:
  - Continuous time and discrete-time signals
  - Periodic signals and nonperiodic (or aperiodic) signals.

# SIGNALS AND SYSTEMS

- Continuous-time and discrete-time signals:
- $x(t)$ : It is defined for all time  $t$ .  
Continuous-time signals arise naturally when a physical waveform (e.g., acoustic wave, light wave) is converted into an electrical signal.
- $x[n]$ : Defined only at discrete instants of time (only for integer values of the independent variable  $n$ ):  
 $x[-5], x[-4], \dots, x[-1], x[0], x[1], x[2], \dots$



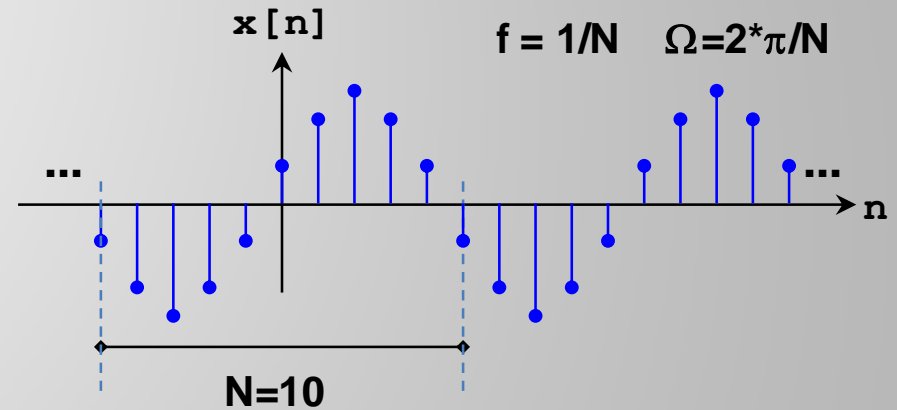
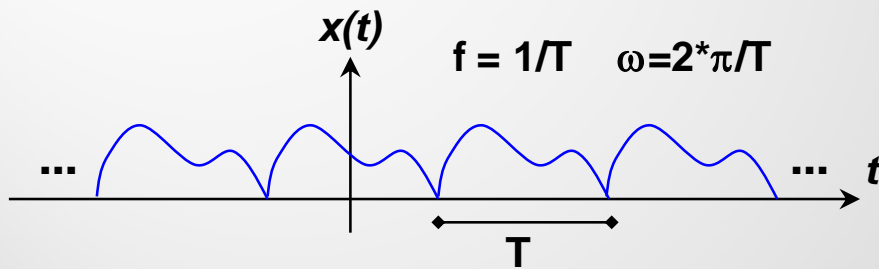


# SIGNALS AND SYSTEMS

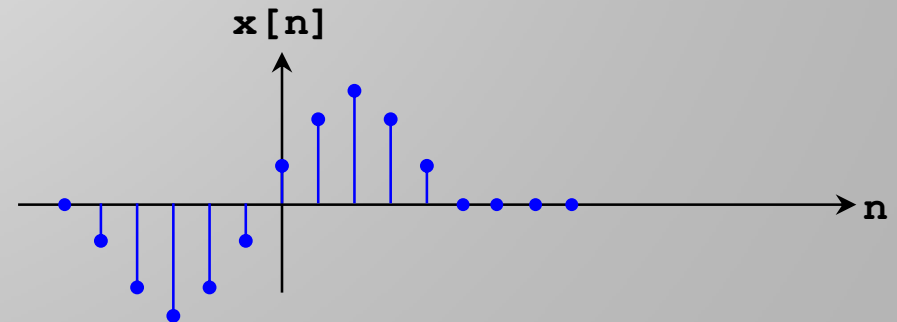
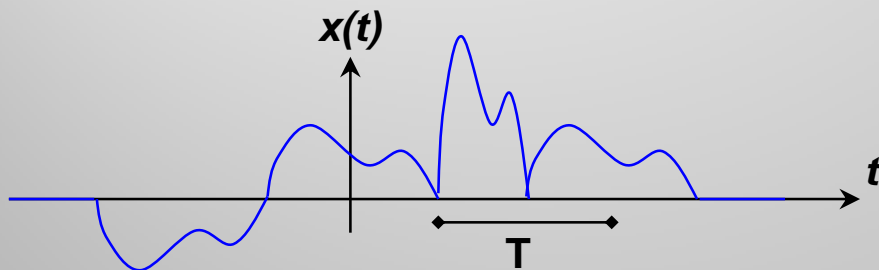
- Discrete-Time signals:  $x[n]$
- A discrete signal is often derived from a continuous-time signal by sampling it a uniform rate.  
Let  $T_s$  be the sampling period and  $n$  an integer that may take positive and negative values.  
Then, sampling a continuous-time signal  $x(t)$  at time  $t = nT_s$ , yields a sample with the value  $x(nT_s)$ :  
 $x[n] = x(nT_s), n = 0, \pm 1, \pm 2, \pm 3, \dots$  (show example)
- A discrete-time signal is represented by a sequence of numbers. Such a sequence is called a time series.
- The symbol  $t$  is used to represent time for a continuous-time signal and the symbol  $n$  to denote time for a discrete-time signal.

# SIGNALS AND SYSTEMS

- Periodic signals:

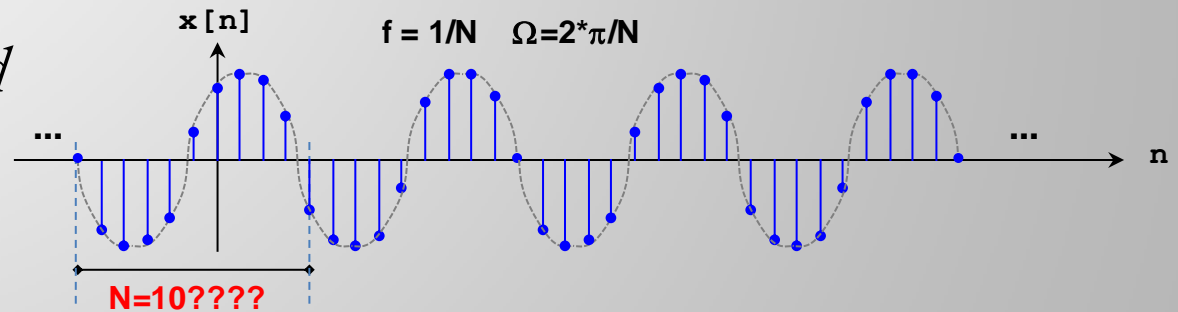
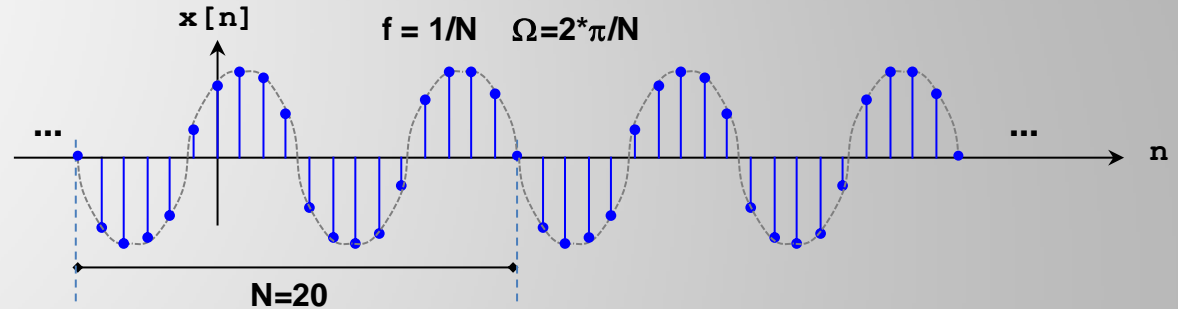


- Nonperiodic (aperiodic) signals



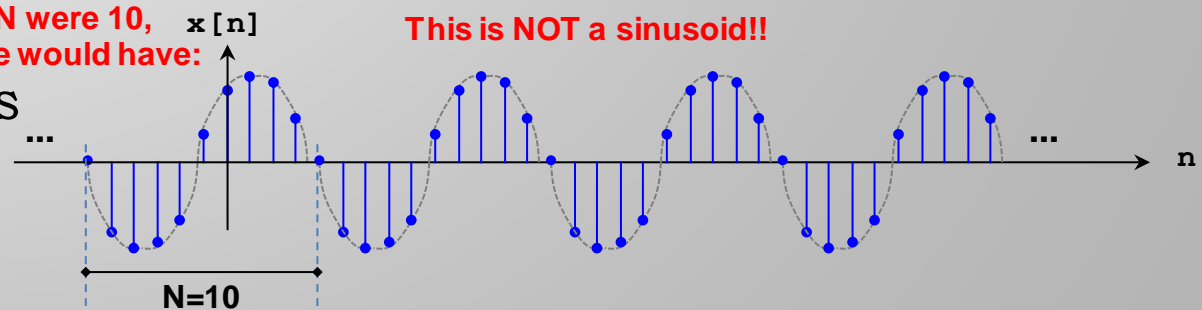
# SIGNALS AND SYSTEMS

- Example of discrete-time periodic signal, where the period does not match the *fundamental period* of the original continuous time signal:



$N = 20$  amounts to two sinusoidal cycles (of the original continuous-time signal)

If  $N$  were 10, we would have:



# SIGNALS AND SYSTEMS

- Basic operations on signals:
- On the independent variable (not on  $t$ )
  - Amplitude Scaling
  - Addition
  - Multiplication
  - Differentiation
  - Integration
- On the Dependent variable (on  $t$ ):
  - Reflection (**Examples with addition**)
  - Time scaling (**MATLAB**)
  - Time shifting (**MATLAB**)
  - Precedence rule for time shifting and time scaling